

# Triple Handshake: *can cryptography, formal methods, and applied security be friends?*

<http://miTLS.org>

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with  
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# Transport Layer Security (1994—)

The default secure channel protocol?

HTTPS, 802.1x, VPNs, files, mail, VoIP, ...

20 years of attacks, fixes, and extensions

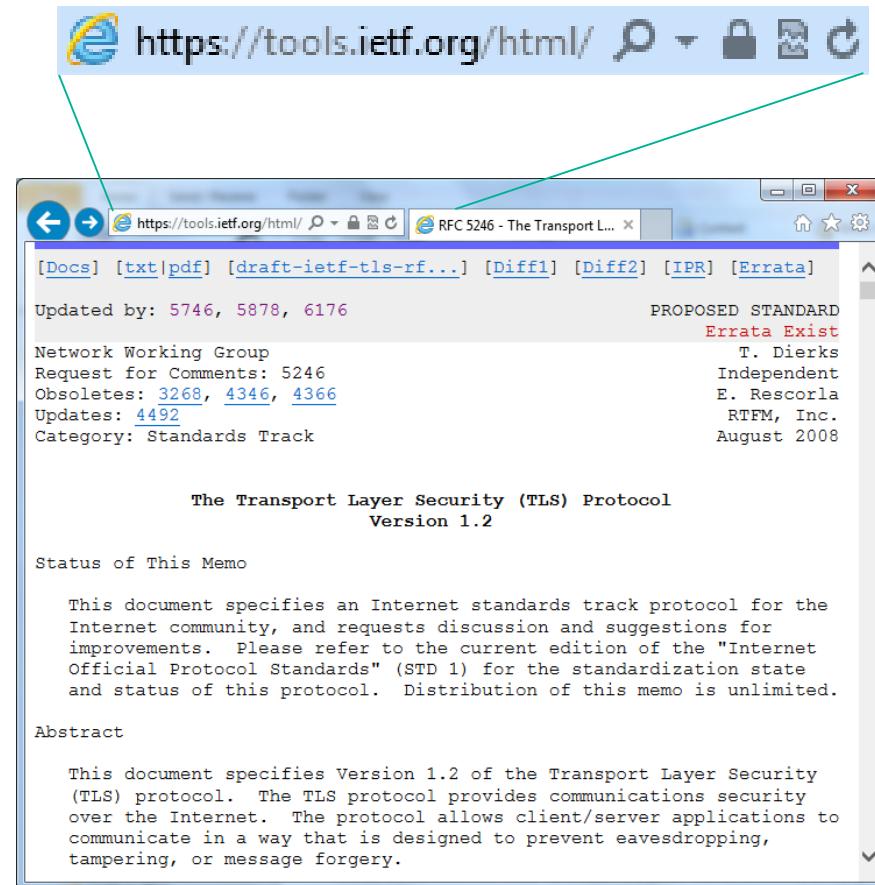
1994	Netscape's Secure Sockets Layer
1996	SSL3
1999	TLS1.0 (RFC2246)
2006	TLS1.1 (RFC4346)
2008	TLS1.2 (RFC5246)
2015	TLS1.3?

Many implementations

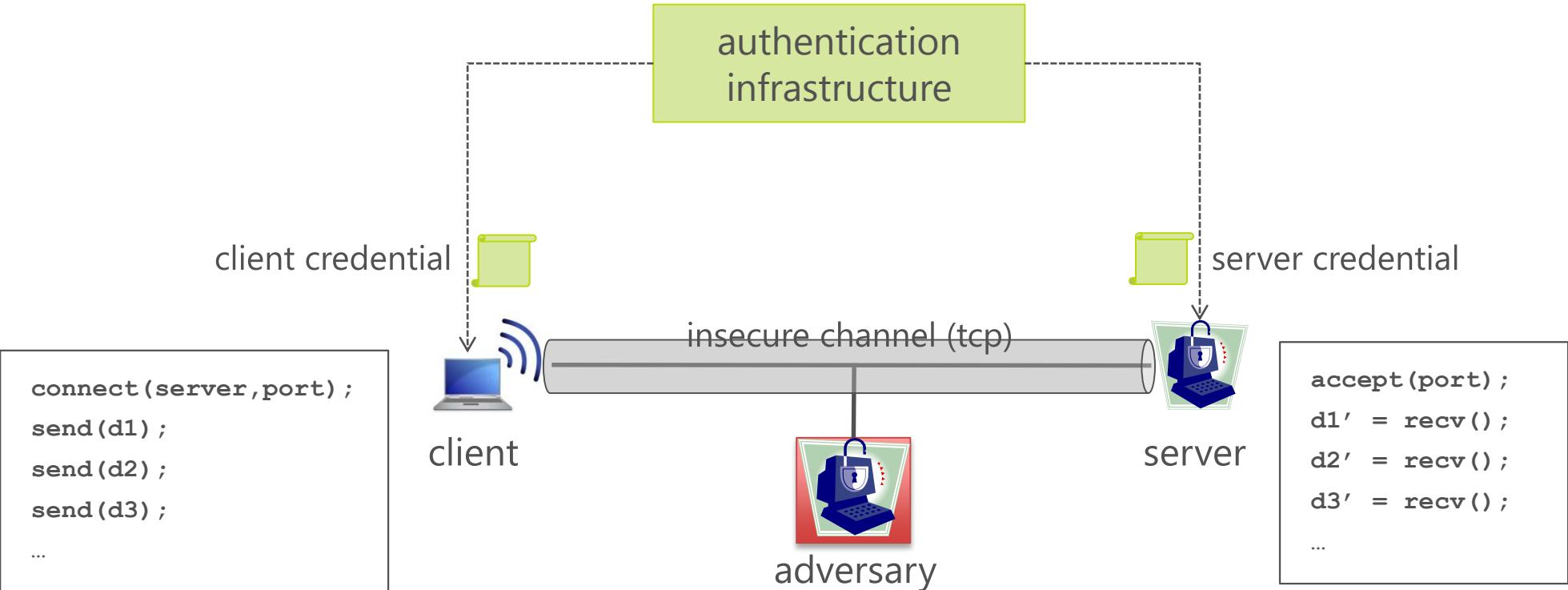
OpenSSL, SecureTransport, NSS,  
SChannel, GnuTLS, JSSE, PolarSSL, ...  
many bugs, attacks, patches every year

Many papers

Well-understood, detailed specs  
many security theorems...  
mostly for small simplified models of TLS



# Goal: a secure channel

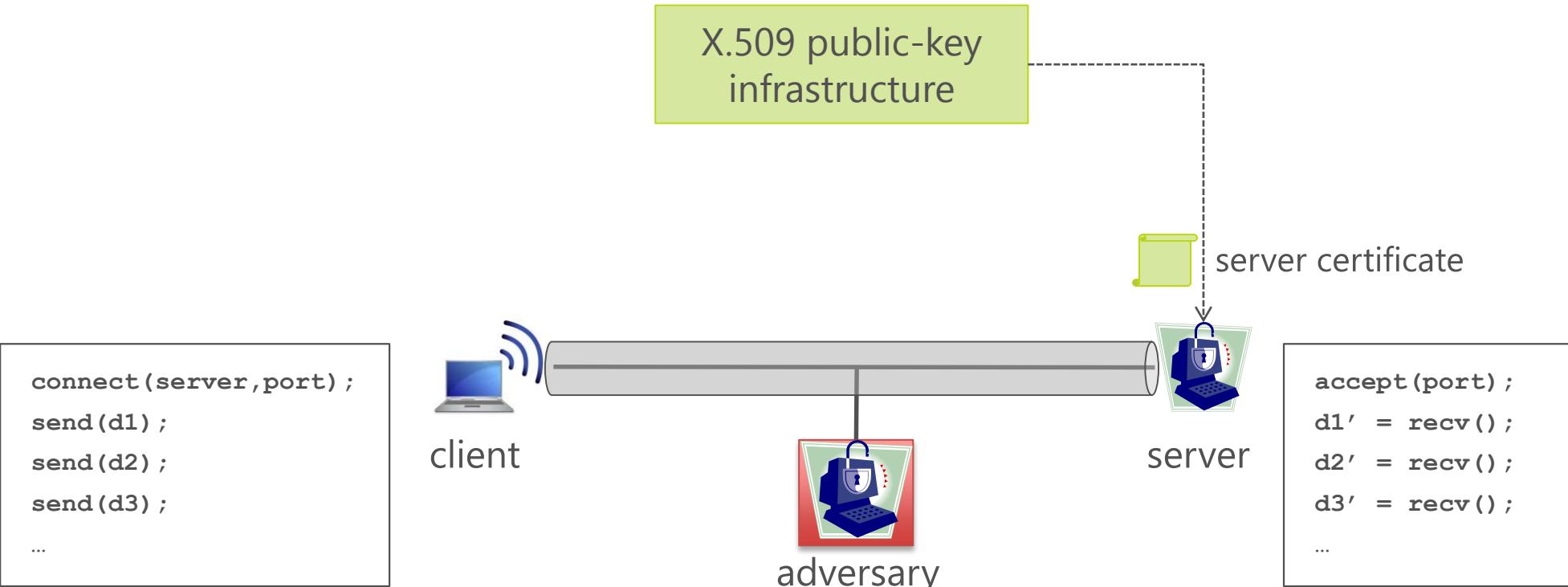


**Security Goal:** As long as the adversary does not control the long-term credentials of the client and server, it cannot

- Inject forged data into the stream (**authenticity**)
- Distinguish the data stream from random bytes (**confidentiality**)

More formally: ACCE [Jager et al. '11] based on sLHAE [Paterson et al '11]

# Secure channels for the Web

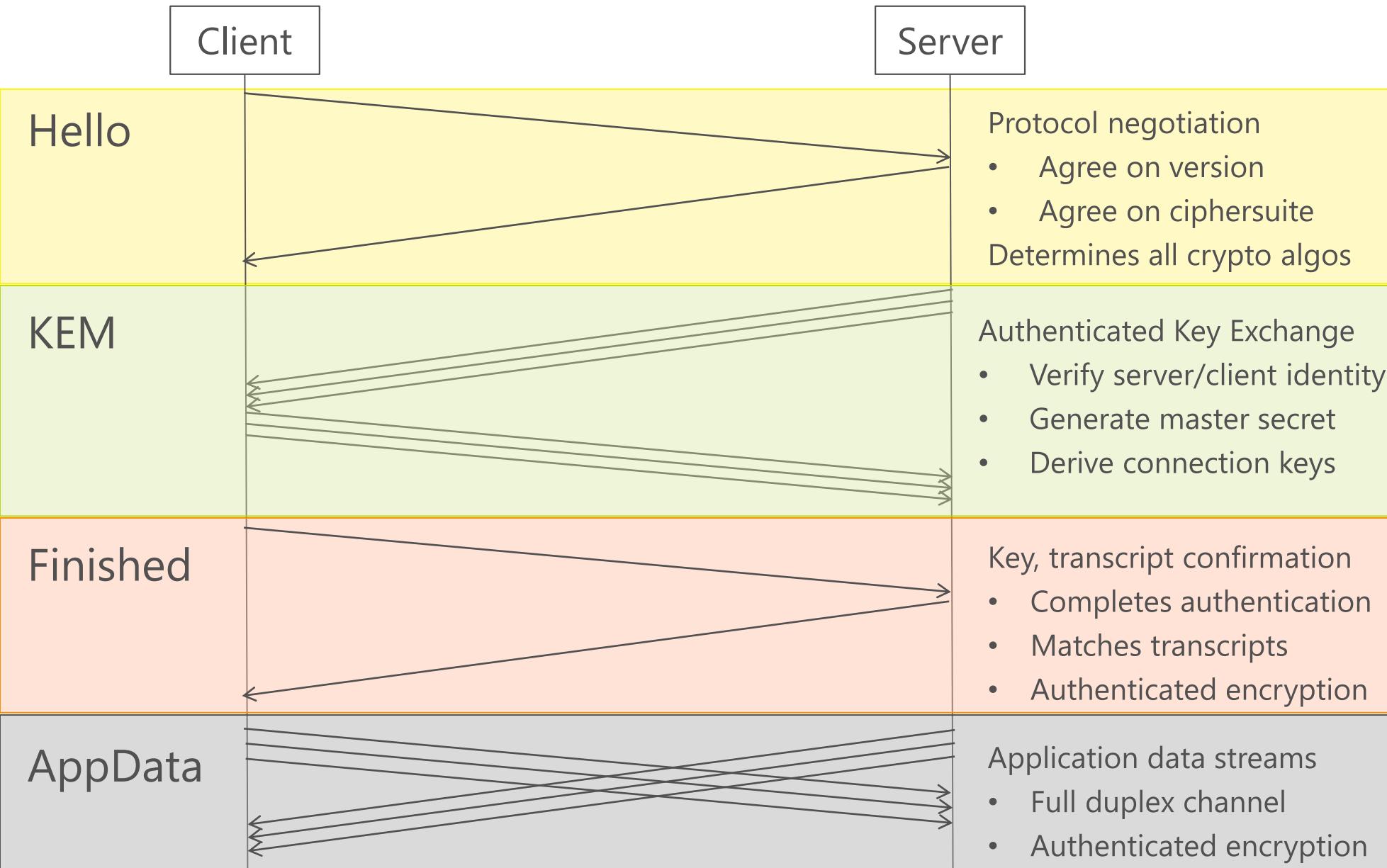


**Security Goal:** As long as the client is honest and the adversary does not know the server's private key, it cannot

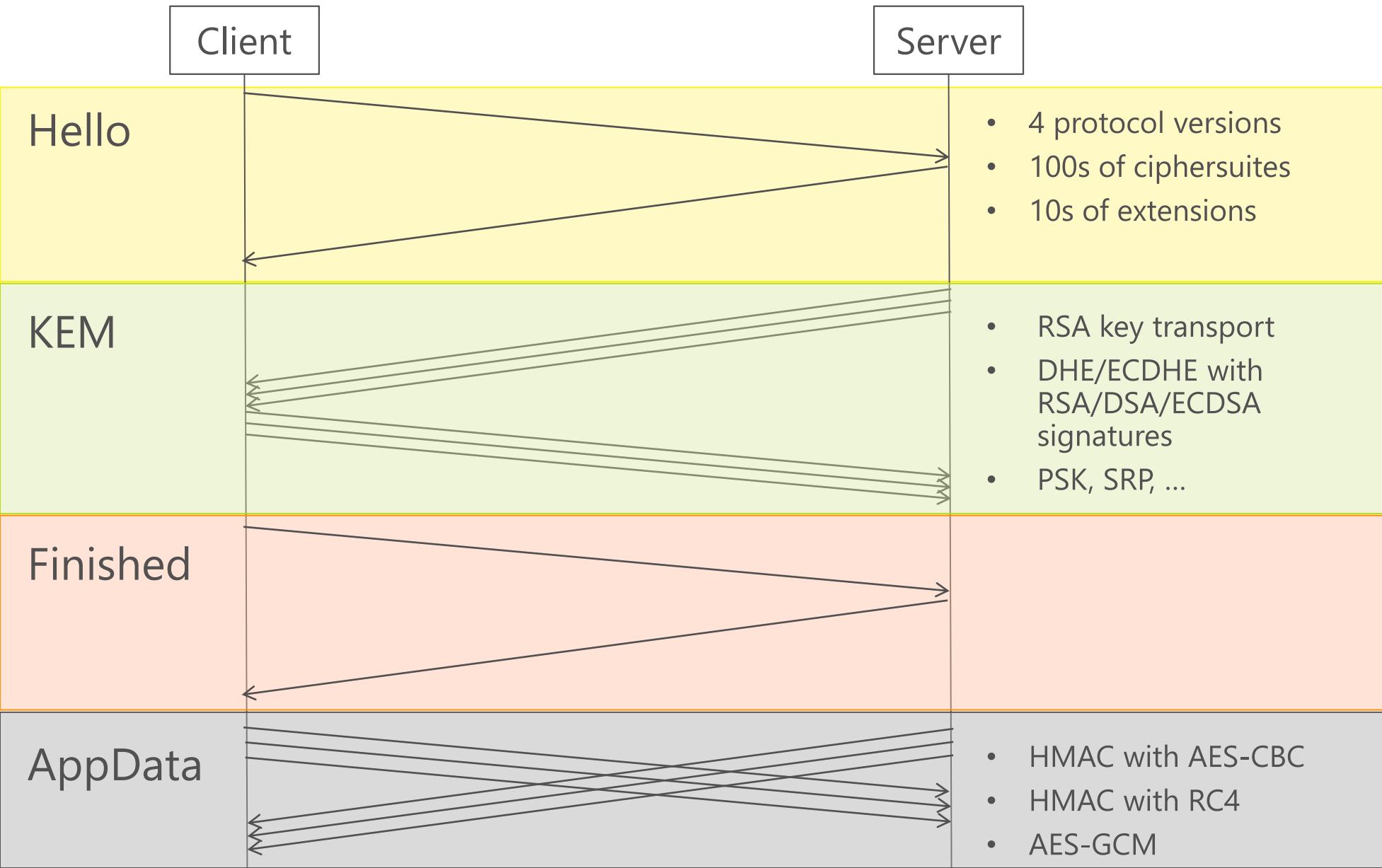
- Inject forged data into the data stream (authenticity)
- Distinguish the data stream from random bytes (confidentiality)

More formally: SACCE [Krawczyk et al. '13]

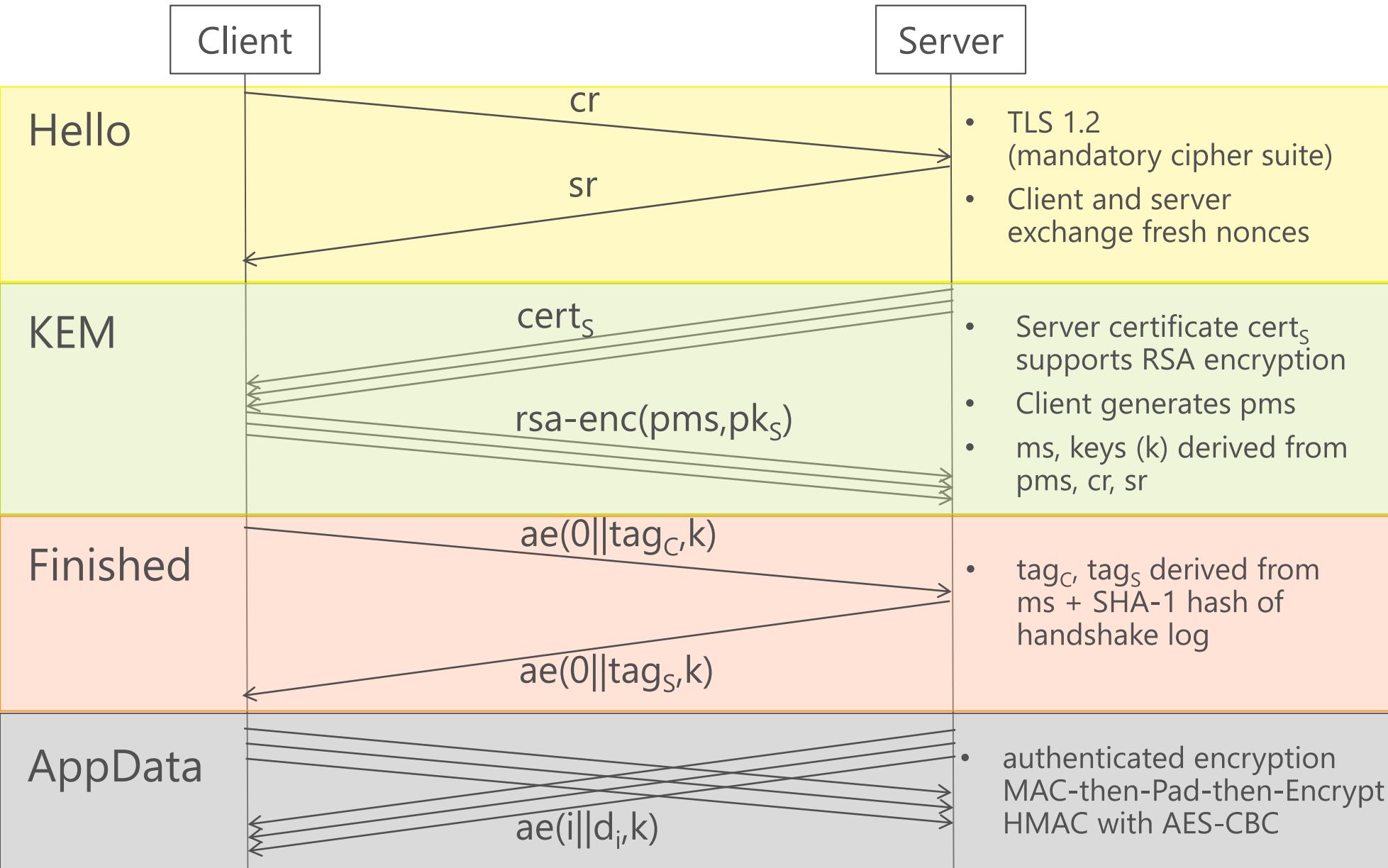
# TLS protocol overview



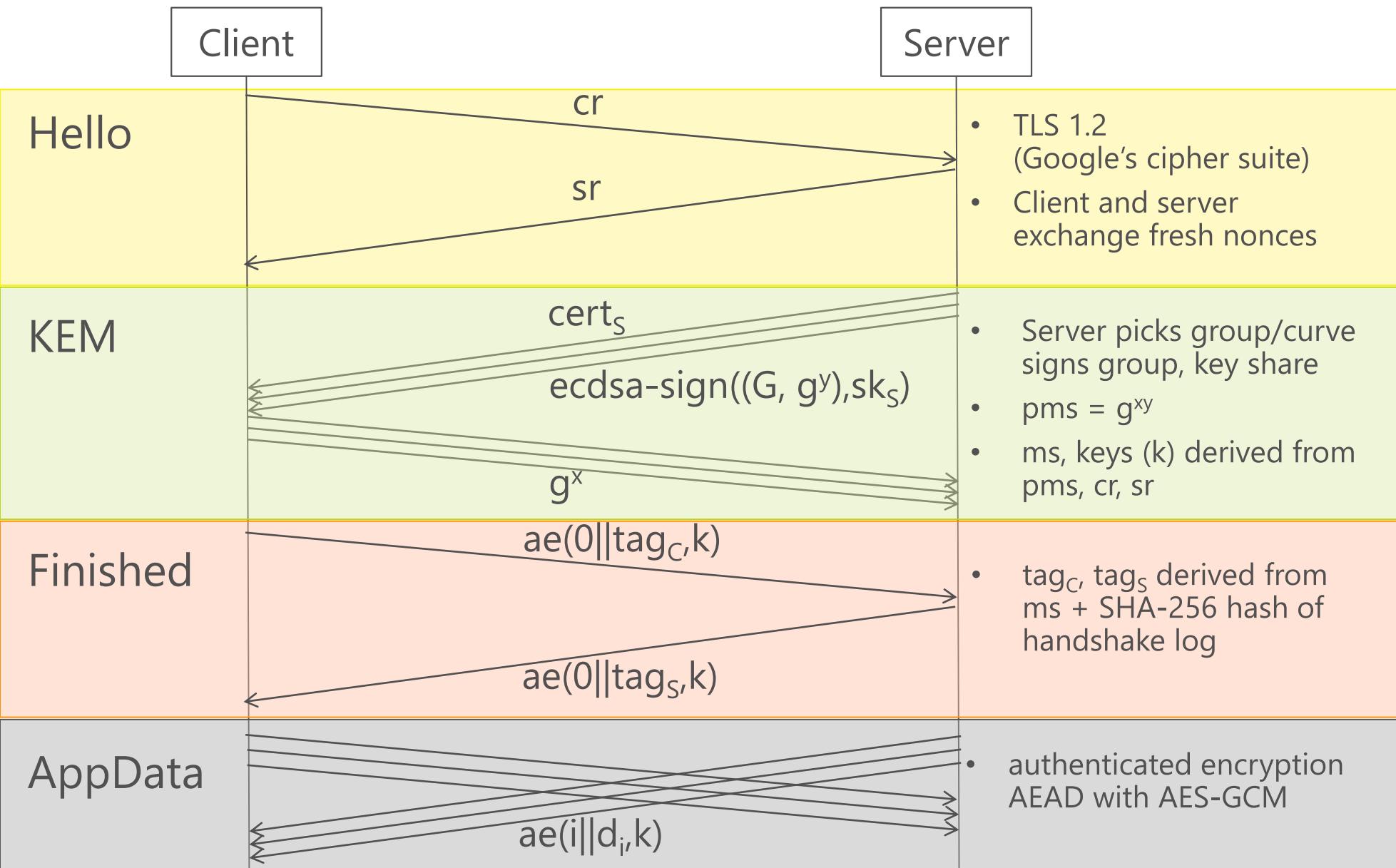
# Common TLS configurations



# TLS\_RSA\_WITH\_AES\_128\_CBC\_SHA



# TLS\_ECDHE\_ECDSA\_WITH\_AES\_128\_GCM\_SHA256



# Cryptographic weaknesses

## Many obsolete crypto constructions

- RSA encryption with PKCS#1 v1.5 padding (*Bleichenbacher*)
- MAC-then-Pad-then-Encrypt with AES-CBC (*Padding oracle*)
- Compress-then-MAC-then-Pad-then-Encrypt (*CRIME*)
- Chained IVs in TLS 1.0 AES-CBC (*BEAST*)
- RC4 key biases

## Countermeasures

- Disable these features: SSL3, compression, RC4
- Implement ad-hoc mitigations very very carefully:
  - empty fragment to initialize IV for TLS 1.0 AES-CBC
  - constant time mitigation for Bleichenbacher attacks
  - constant-time plaintext length-hiding HMAC to prevent Lucky 13

# Other implementation challenges

## Memory safety

Buffer overruns leak secrets

## Missing checks

Forgetting to verify  
signature/MAC/certificate  
bypasses crypto guarantees

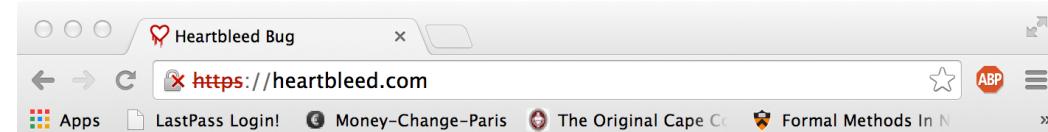
## Certificate validation

ASN.1 parsing,  
wildcard certificates

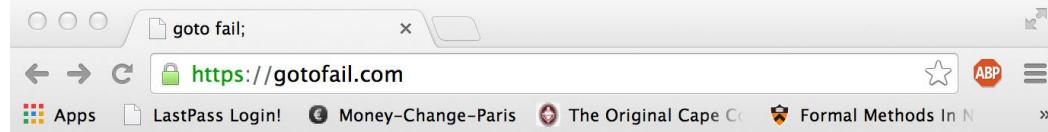
## State machine bugs

Most TLS implementations  
don't conform to spec  
Unexpected transitions break  
protocol (badly)

(EarlyCCS, OpenSSL, ...)



## The Heartbleed Bug



## goto fail; // Apple SSL bug test site

## The Most Dangerous Code in the World: Validating SSL Certificates in Non-Browser Software



## How I discovered CCS Injection Vulnerability (CVE-2014-0224)

05 Jun 2014

Hello. My name is Masashi Kikuchi. Here is my story how I find the CCS Injection Vulnerability. ([CVE-2014-0224](#))

A vertical sidebar on the left side of the slide contains the following text:  
I  
S  
t  
a  
c  
k  
s  
t  
f  
g  
l  
(  
J  
C  
t

## What is the bug?

The problem is that OpenSSL accepts ChangeCipherSpec (CCS) inappropriately during a handshake. This bug has existed since the

# Implementing TLS correctly

Use formal methods!

- Use a type-safe programming language
  - OCaml, F#, Java, C#,...
  - (No buffer overruns, no Heartbleed)
- Verify the logical correctness of your code
  - Use a software verifier: Why3, F7/F\*, Boogie, Frama-C,...
- Link software invariants to cryptographic guarantees
  - Use a crypto verifier: EasyCrypt, CryptoVerif, ProVerif
  - Hire a cryptographer!

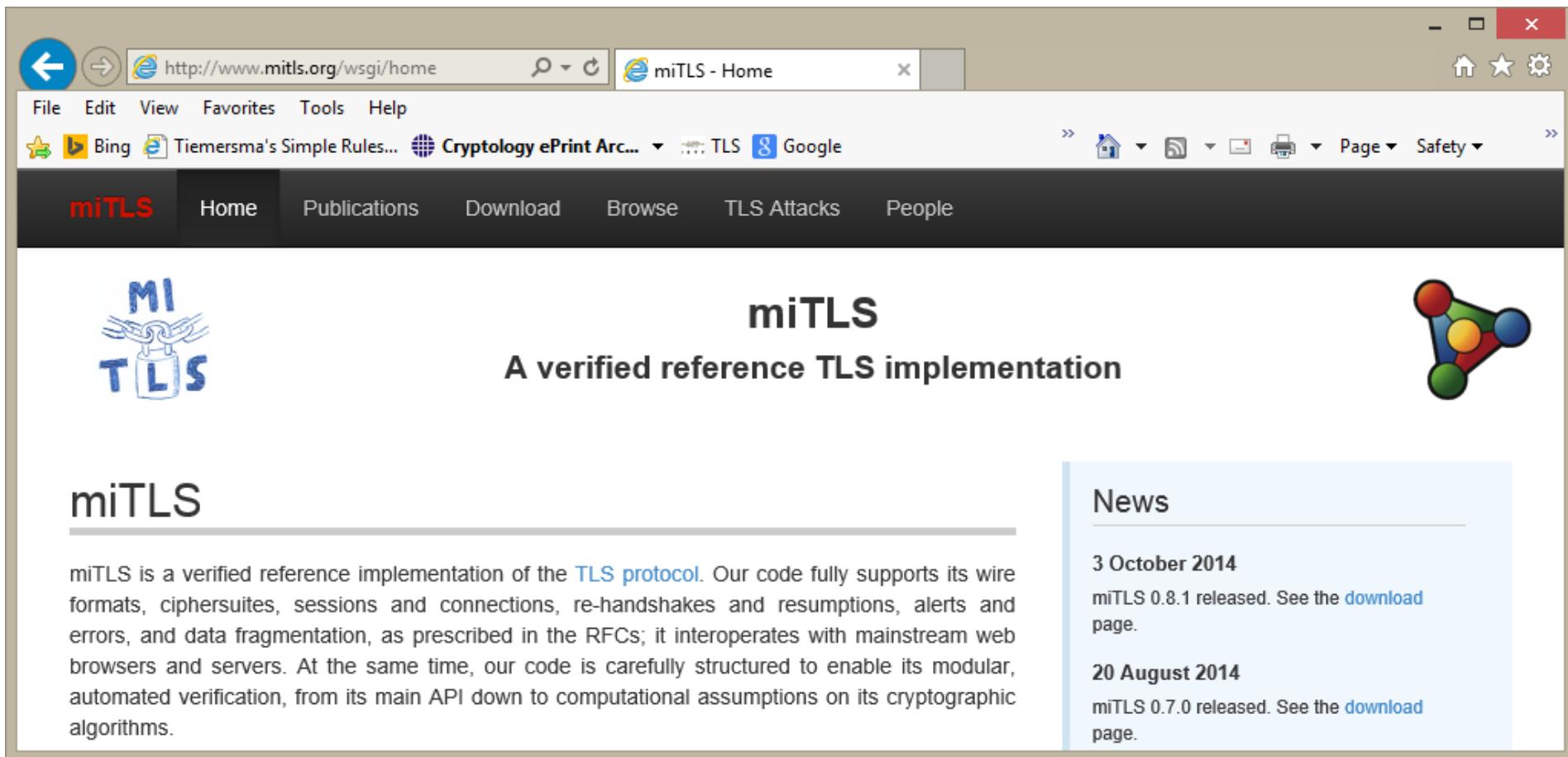
# miTLS: a verified implementation

- Reference implementation of TLS 1.2 in F#
  - 7000 lines of code, 3000 lines of logical specification
  - Automated proofs by typechecking with F7
- Supports major protocol versions, ciphersuites

Protocol Versions	Key exchange	Record encryption	Record HMAC	Extensions
TLS 1.2	RSA	AES_256_GCM	SHA384	Secure renegotiation
TLS 1.1	DHE_DSS	AES_128_GCM	SHA256	
TLS 1.0	DHE_RSA	AES_256_CBC	SHA	
SSL 3	DH_RSA DH_DSA DH_anon	AES_128_CBC 3DES_EDE_CBC RC4_128	MD5	

- How does this verification link to crypto assumptions and the secure channel goal?

# miTLS: a verified implementation



The screenshot shows a Microsoft Internet Explorer window displaying the miTLS homepage. The address bar shows "http://www.mitls.org/wsgi/home". The title bar says "miTLS - Home". The menu bar includes File, Edit, View, Favorites, Tools, and Help. The toolbar has icons for Back, Forward, Stop, Refresh, Home, Favorites, and Settings. Below the toolbar, there are links to "Bing", "Tiemersma's Simple Rules...", "Cryptology ePrint Arc...", "TLS", and "Google". The main navigation menu at the top of the page includes "miTLS" (highlighted in red), "Home", "Publications", "Download", "Browse", "TLS Attacks", and "People". On the left side, there is a logo for "MI TLS" featuring a blue "MI" above a padlock and the word "TLS". The main content area features the text "miTLS" and "A verified reference TLS implementation". To the right, there is a colorful graphic of interconnected nodes. A sidebar on the right is titled "News" and lists two entries: "3 October 2014 miTLS 0.8.1 released. See the [download](#) page." and "20 August 2014 miTLS 0.7.0 released. See the [download](#) page."

- How does this verification link to crypto assumptions and the secure channel goal?

# Sufficient assumptions on the pms-KEM

For agility parameter  $p^*$ , parameter set  $P$ ,  $\mathbf{Adv}_{p^*, P}^{\text{NR/OW-PCA}}(\mathcal{A}) \stackrel{\text{def}}{=} \Pr[\text{NR/OW-PCA} : 1]$

**Oracle**  $\text{PCO}(p, k, c) \stackrel{\text{def}}{=} \begin{array}{l} \text{(Plaintext Checking Oracle)} \\ \text{if } p \notin P \text{ then return } \perp \\ k' \leftarrow \text{dec}(p, sk, c) \end{array}$

There exist adversaries  $\mathcal{B}$  and  $\mathcal{C}$  running in time  $t + O(q_{\text{DEC}} \cdot q_{\text{KEF}})$  such that

$$\mathbf{Adv}_{p^*, P}^{\text{RCCA}}(\mathcal{A}) \leq 2 \left( \mathbf{Adv}_{pv^*, P'}^{\text{NR-PCA}}(\mathcal{B}) + \mathbf{Adv}_{pv^*, P'}^{\text{OW-PCA}}(\mathcal{C}) + 2^{|pv| - |pms|} (q_{\text{KEF}} + q_{\text{DEC}}) \right)$$

where  $P'$  includes all  $pv$  such that  $(pv, h) \in P$

Proof formalized and checked in EasyCrypt (3,000 lines)

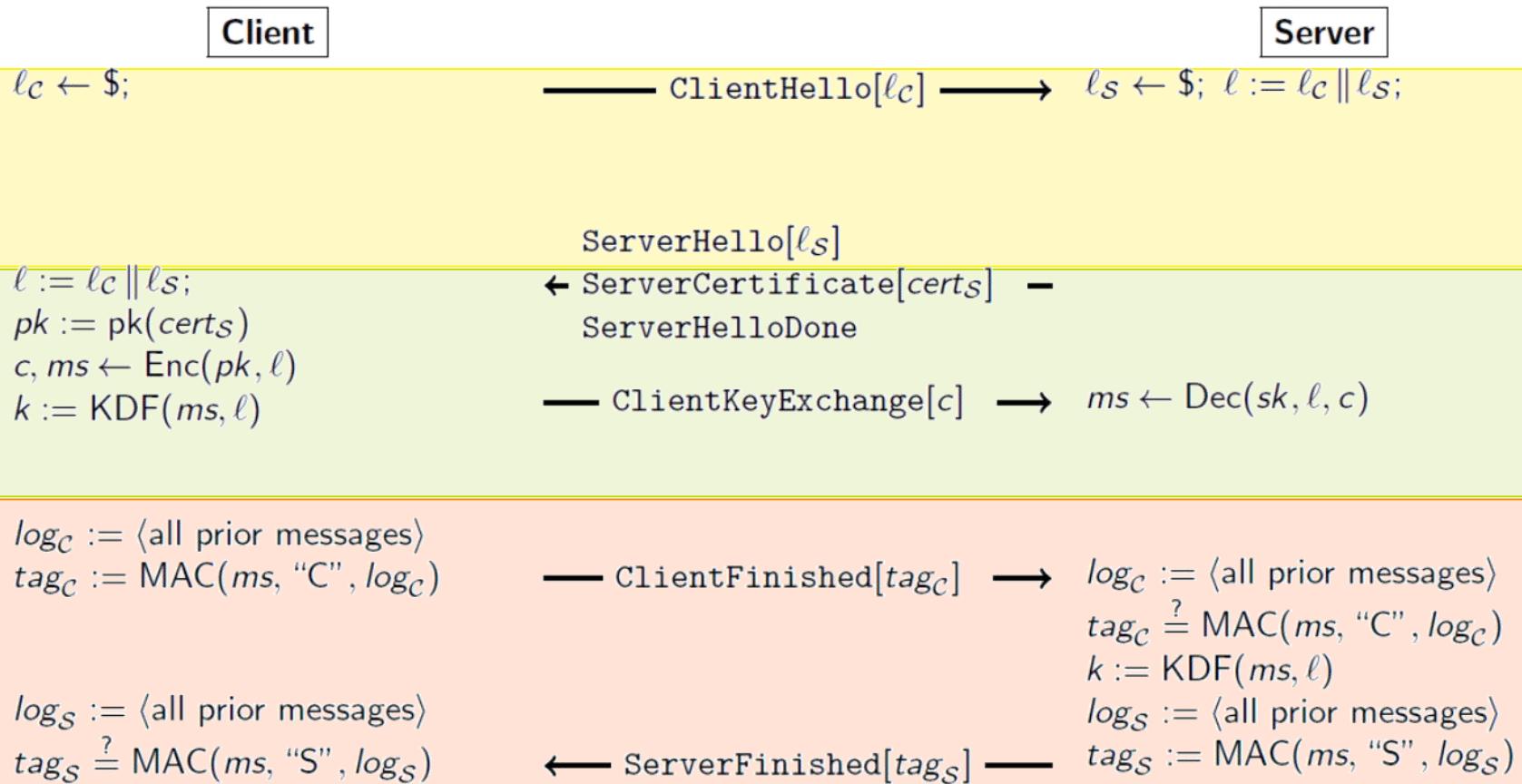
# State of the art

[Jager et al. '11] Security for TLS-DHE +  
authenticated encryption in the standard model  
Monolithic proof (ACCE model), does not cover TLS-RSA

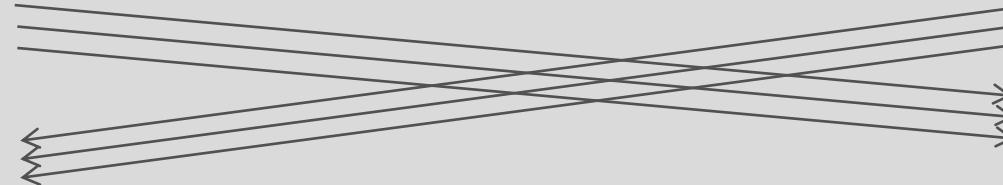
[Krawczyk, Paterson, Wee '13] Security for TLS-  
DHE + TLS-RSA + authenticated encryption  
KEM abstraction (SACCE model), single ciphersuite,  
does not cover resumption, renegotiation

[Bhargavan'14 et al.] Comprehensive modular  
treatment of a TLS handshake implementation  
Multi-ciphersuite, multi-handshake security

# Cryptographic core of TLS



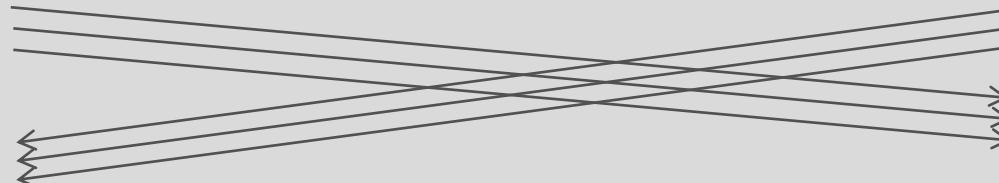
AppData



# Cryptography of TLS 'as it is'

Client		Server
$\ell_C \leftarrow \$; ac := cfg_C.ac$	$\xrightarrow{\quad} ClientHello[\ell_C, ac, tag_C] \rightarrow$	$\ell_S \leftarrow \$; \ell := \ell_C \parallel \ell_S; sid \leftarrow \$$
$\ell := \ell_C \parallel \ell_S; a := alg_C(cfg_C, as)$		$certs := cfg_S.cert; cert_C := \perp$
$pk := pk(certs)$		$pk := pk(cert_S)$
$c, ms \leftarrow Enc_e(p_E, pk, \ell)$		$sk := \text{lookup } sk \text{ using } pk$
$k := KDF(p_D, ms, \ell, r)$		$a, as := alg_S(cfg_S, ac);$
	$\xleftarrow{\quad} ServerCertificate[certs] \xleftarrow{\quad} ServerHelloDone$	
	$\xrightarrow{\quad} ClientKeyExchange[c] \rightarrow$	$ms \leftarrow Dec_e(p_E, sk, \ell, c)$
$log_C := \langle \text{all prior epoch messages} \rangle$		$log_C := \langle \text{all prior epoch messages} \rangle$
$tag_C := MAC(p_D, ms, "C", log_C)$	$\xrightarrow{\quad} ClientFinished[tag_C] \rightarrow$	$tag_C \stackrel{?}{=} MAC(p_D, ms, "C", log_C)$
$log_S := \langle \text{all prior epoch messages} \rangle$		$k := KDF(p_D, ms, \ell, r)$
$tag_S \stackrel{?}{=} MAC(p_D, ms, "S", log_S)$	$\xleftarrow{\quad} ServerFinished[tag_S] \xrightarrow{\quad}$	$log_S := \langle \text{all prior epoch messages} \rangle$
$complete := 1$		$tag_S := MAC(p_D, ms, "S", log_S)$
		$complete := 1; \text{store } (\ell, sid, ms)$

AppData



# Cryptographic security goals

If a client **completes** with an honest server's certificate and (all) strong algorithms, then

**Agreement**: there must be a server that agrees on all handshake variables (**a, cert, ms, k, tag, ...**)

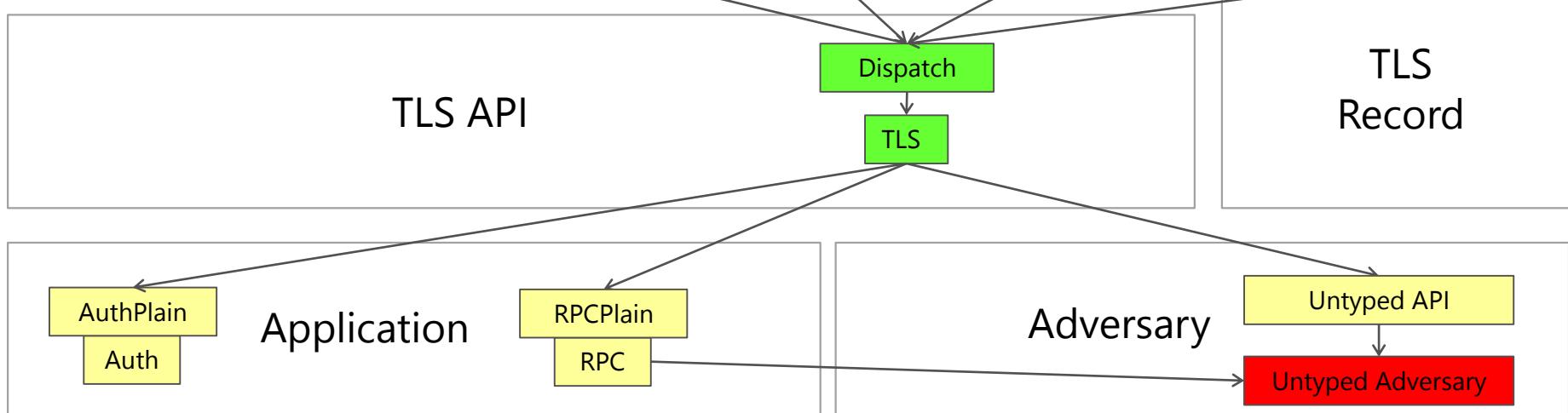
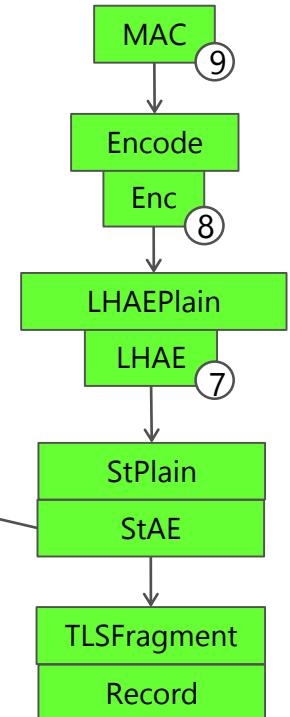
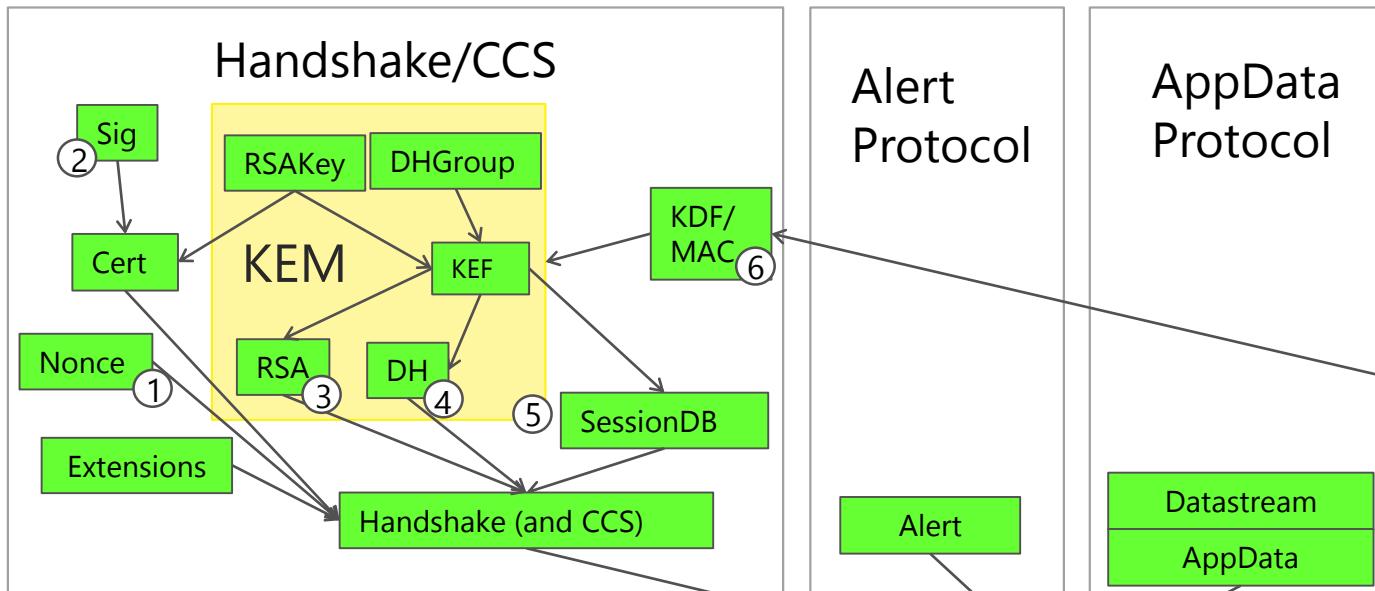
**Authenticity**: each endpoint only accepts a prefix of the data sequence send by its peer  
If connection is gracefully closed, then all sent data has been accepted

**Confidentiality**: the data sequences in both directions are indistinguishable from random

(vice versa for server if client is authenticated)

# The concrete implementation

Base [CoreCrypto, Bytes, TCP, TLSConstants, TLSInfo, Error, Range]



# miTLS API & ideal functionality (outline)

## Standard socket API with embedded security specification

- Abstract types for confidentiality (a la information flow)
- Refinements for authenticity (a la contracts/pre-/post-conditions)

```
type Connection // for each local instance of the protocol
type ( ;c:Connection) AppData

// creating new client and server instances
val connect: TcpStream -> Params -> Connection
val accept: TcpStream -> Params -> Connection

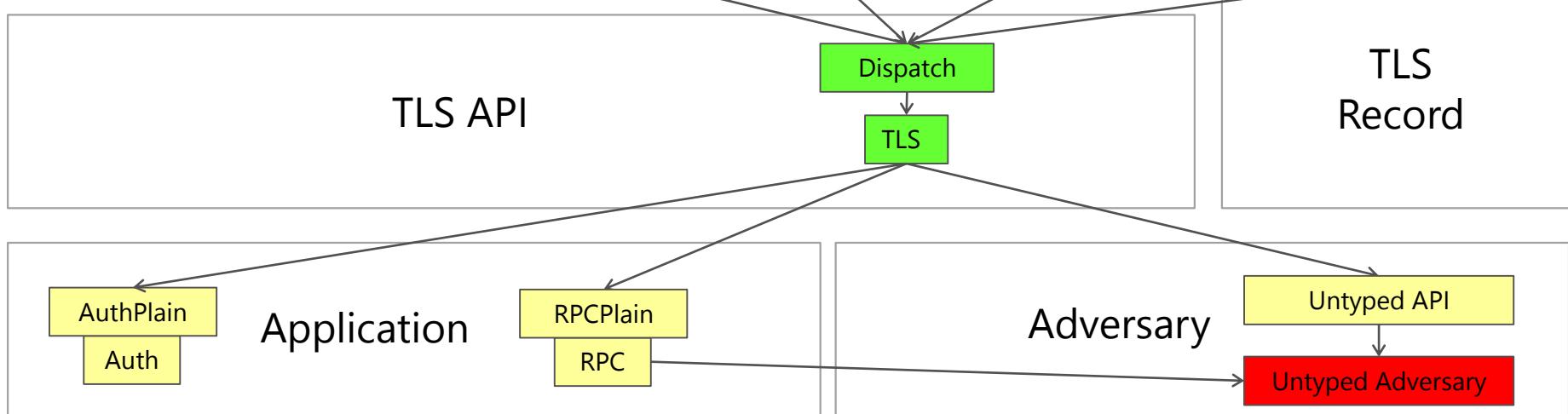
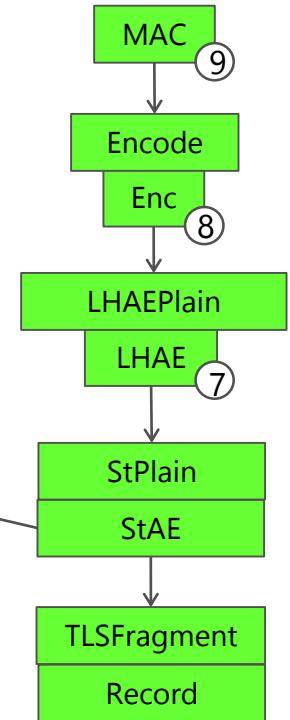
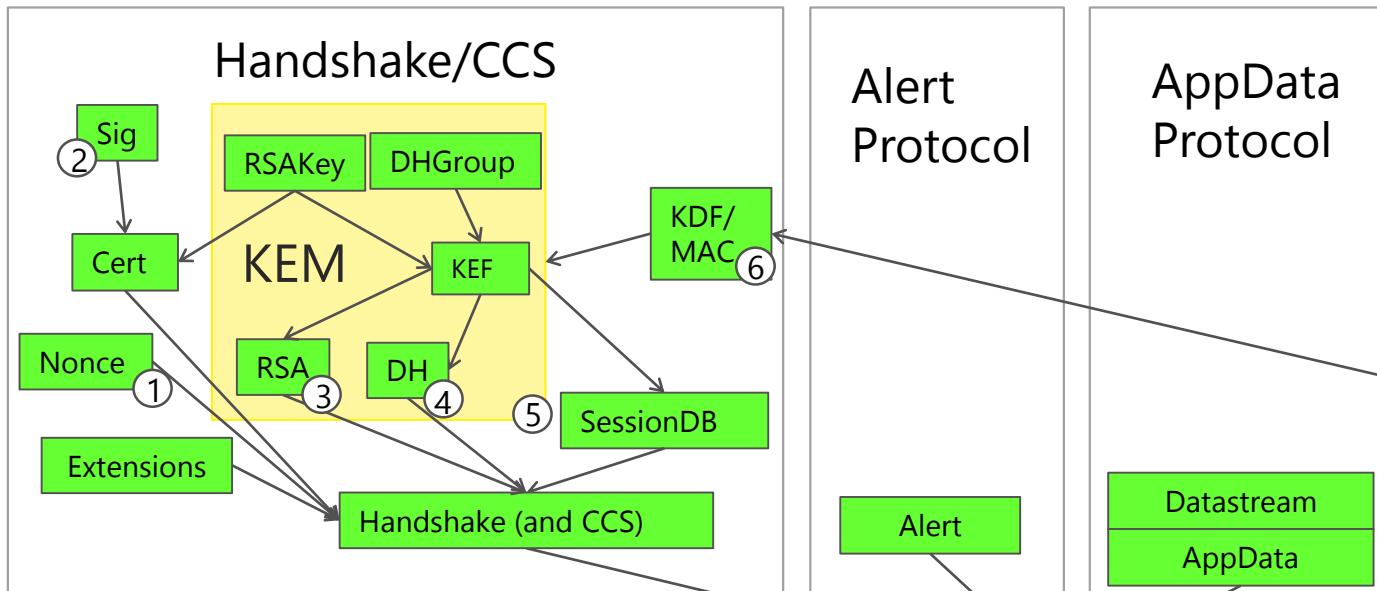
// reading data
type ( ;c:Connection) IOResult_i =
| Read      of c':Connection * data:( ;c) AppData
| CertQuery of c':Connection
| Complete   of c':Connection { Agreement(c') }
| Close     of TcpStream
| Warning   of c':Connection * a:AlertDescription
| Fatal     of a:AlertDescription
val read : c:Connection -> ( ;c) IOResult_i

// writing data
type ( ;c:Connection,data:( ;c) AppData) IOResult_o =
| WriteComplete of c':Connection
| WritePartial  of c':Connection * rest:( ;c') AppData
| MustRead     of c':Connection
val write: c:Connection -> data:( ;c) AppData -> ( ;c,data) IOResult_o

// triggering new handshakes, and closing connections
val rehandshake: c:Connection -> Connection Result
val request:    c:Connection -> Connection Result
val shutdown:   c:Connection -> TcpStream Result
```

# The concrete implementation

Base [CoreCrypto, Bytes, TCP, TLSConstants, TLSInfo, Error, Range]



# Security of master secret KEM

We prove Handshake security assuming the master secret KEM is secure under agile Replayable Chosen-Ciphertext Attacks (IND-RCCA)



For  $p^*$  an agility parameter,  $P$  a set of parameters  $\mathbf{Adv}_{p^*, P}^{\text{RCCA}}(\mathcal{A}) \stackrel{\text{def}}{=} 2 \Pr[\text{RCCA} : 1] - 1$

**Game RCCA**  $\stackrel{\text{def}}{=}$   
 $pk, sk \leftarrow \text{KeyGen}()$   
 $K, L := \emptyset$   
 $b \leftarrow \{0, 1\}$   
 $b' \leftarrow \mathcal{A}^{\text{ENC,DEC}}(pk)$   
**return**  $(b' = b)$

**Oracle ENC( $\ell$ )**  $\stackrel{\text{def}}{=}$   
**if**  $\ell \in L$  **then return**  $\perp$   
 $k_0, c \leftarrow \text{Enc}(\underline{p^*}, pk, \ell)$   
 $k_1 \leftarrow \$$   
 $K(\ell) := K(\ell) \cup \{k_0, k_1\}$   
**return**  $k_b, c$

**Oracle DEC( $p, \ell, c$ )**  $\stackrel{\text{def}}{=}$   
**if**  $\ell \in L \vee p \notin P$  **then return**  $\perp$   
 $L := L \cup \{\ell\}$   
 $k \leftarrow \text{Dec}(\underline{p}, sk, \ell, c)$   
**if**  $k \in K(\ell)$  **then return**  $\perp$   
**return**  $k$

# Security of master secret KEM

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# Sufficient assumptions on the pms-KEM

For agility parameter  $p^*$ , parameter set  $P$ ,  $\mathbf{Adv}_{p^*, P}^{\text{NR/OW-PCA}}(\mathcal{A}) \stackrel{\text{def}}{=} \Pr[\text{NR/OW-PCA} : 1]$

**Oracle**  $\text{PCO}(p, k, c) \stackrel{\text{def}}{=} (\text{Plaintext Checking Oracle})$   
**if**  $p \notin P$  **then return**  $\perp$   
 $k' \leftarrow \text{dec}(p, sk, c)$   
**return**  $(k' = k)$

(One-Wayness)

**Game**  $\text{OW-PCA} \stackrel{\text{def}}{=} pk, sk \leftarrow \text{keygen}()$   
 $k^*, c^* \leftarrow \text{enc}(p^*, pk)$   
 $k \leftarrow \mathcal{A}^{\text{PCO}}(pk, c^*)$   
**return**  $(k = k^*)$

**Game**  $\text{NR-PCA} \stackrel{\text{def}}{=} pk, sk \leftarrow \text{keygen}()$   
 $k^*, c^* \leftarrow \text{enc}(p^*, pk)$   
 $c \leftarrow \mathcal{A}^{\text{PCO}}(pk, c^*)$   
**return**  $c \neq c^* \wedge$   
 $k^* = \text{dec}(p^*, sk, c)$

# Sufficient assumptions on the pms-KEM

For agility parameter  $p^*$ , parameter set  $P$ ,  $\mathbf{Adv}_{p^*, P}^{\text{NR/OW-PCA}}(\mathcal{A}) \stackrel{\text{def}}{=} \Pr[\text{NR/OW-PCA} : 1]$

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(One-Wayness)    **Game**  $\text{OW-PCA} \stackrel{\text{def}}{=} \begin{array}{l} pk, sk \leftarrow \text{keygen}() \\ k^*, c^* \leftarrow \text{enc}(p^*, pk) \\ k \leftarrow \mathcal{A}^{\text{PCO}}(pk, c^*) \\ \text{return } (k = k^*) \end{array}$     **Game**  $\text{NR-PCA} \stackrel{\text{def}}{=} \begin{array}{l} pk, sk \leftarrow \text{keygen}() \\ k^*, c^* \leftarrow \text{enc}(p^*, pk) \\ c \leftarrow \mathcal{A}^{\text{PCO}}(pk, c^*) \\ \text{return } c \neq c^* \wedge \\ \quad k^* = \text{dec}(p^*, sk, c) \end{array}$  (Non-Randomizability)

# Sufficient assumptions on the pms-KEM

For agility parameter  $p^*$ , parameter set  $P$ ,  $\mathbf{Adv}_{p^*, P}^{\text{NR/OW-PCA}}(\mathcal{A}) \stackrel{\text{def}}{=} \Pr[\text{NR/OW-PCA} : 1]$

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There exist adversaries  $\mathcal{B}$  and  $\mathcal{C}$  running in time  $t + O(q_{\text{DEC}} \cdot q_{\text{KEF}})$  such that

$$\mathbf{Adv}_{p^*, P}^{\text{RCCA}}(\mathcal{A}) \leq 2 \left( \mathbf{Adv}_{pv^*, P'}^{\text{NR-PCA}}(\mathcal{B}) + \mathbf{Adv}_{pv^*, P'}^{\text{OW-PCA}}(\mathcal{C}) + 2^{|pv| - |pms|} (q_{\text{KEF}} + q_{\text{DEC}}) \right)$$

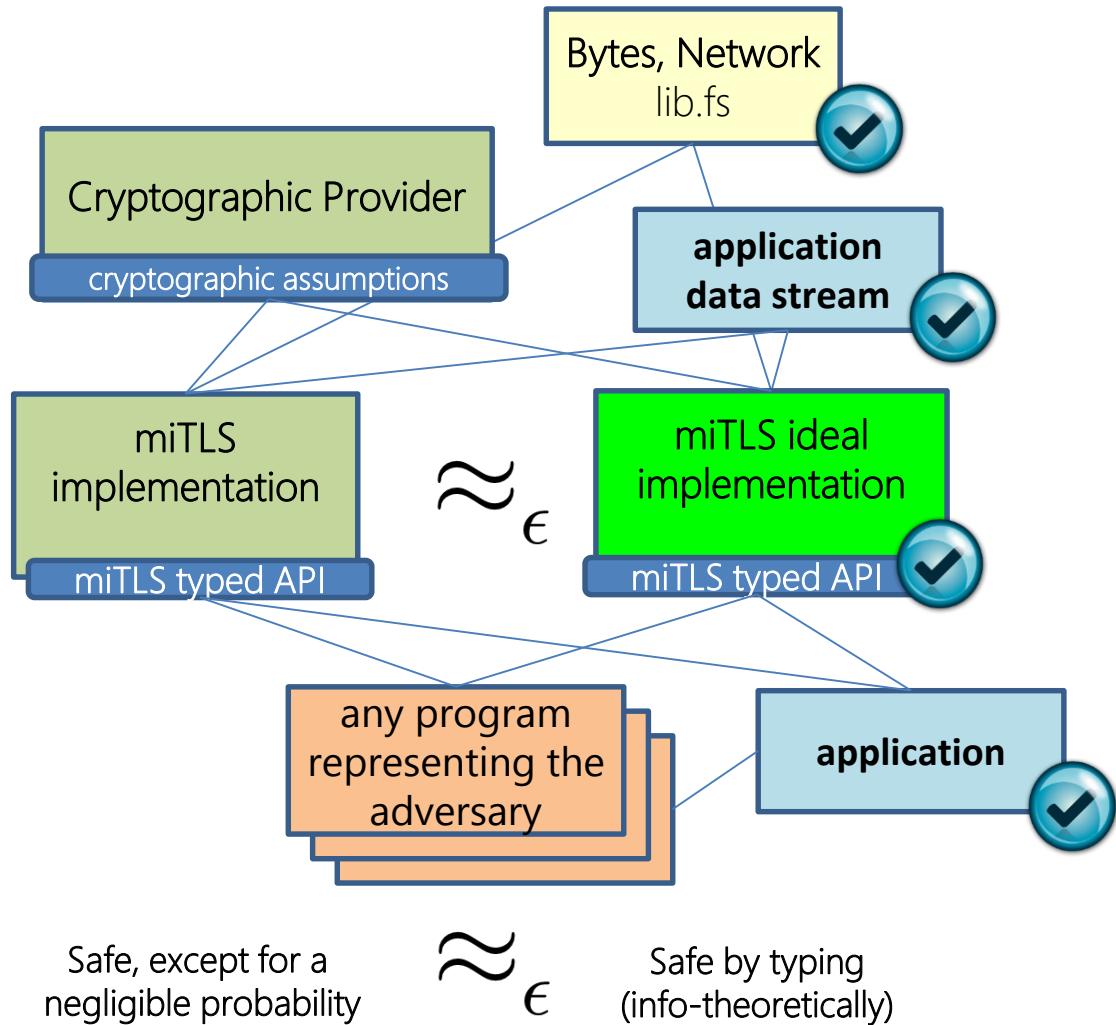
where  $P'$  includes all  $pv$  such that  $(pv, h) \in P$

Proof formalized and checked in EasyCrypt (3,000 lines)

# Security theorem

Main crypto result:  
concrete TLS & ideal TLS  
are computationally  
indistinguishable

We prove that ideal  
miTLS meets its secure  
channel specification  
using standard program  
verification (typing)



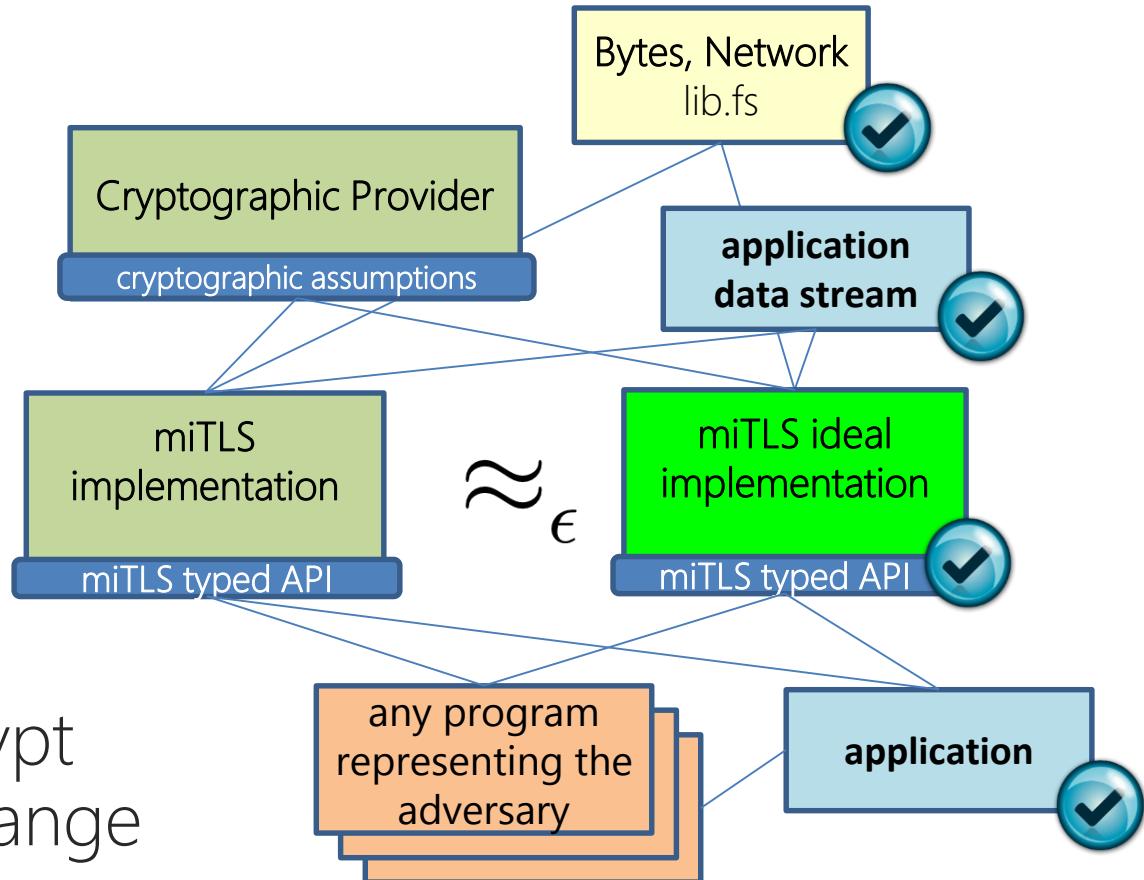
# Security theorem

## Proof automation

7,000 lines of F#  
checked against  
3,000 lines of F7  
type annotations

+

3,000 lines of EasyCrypt  
for the core key exchange

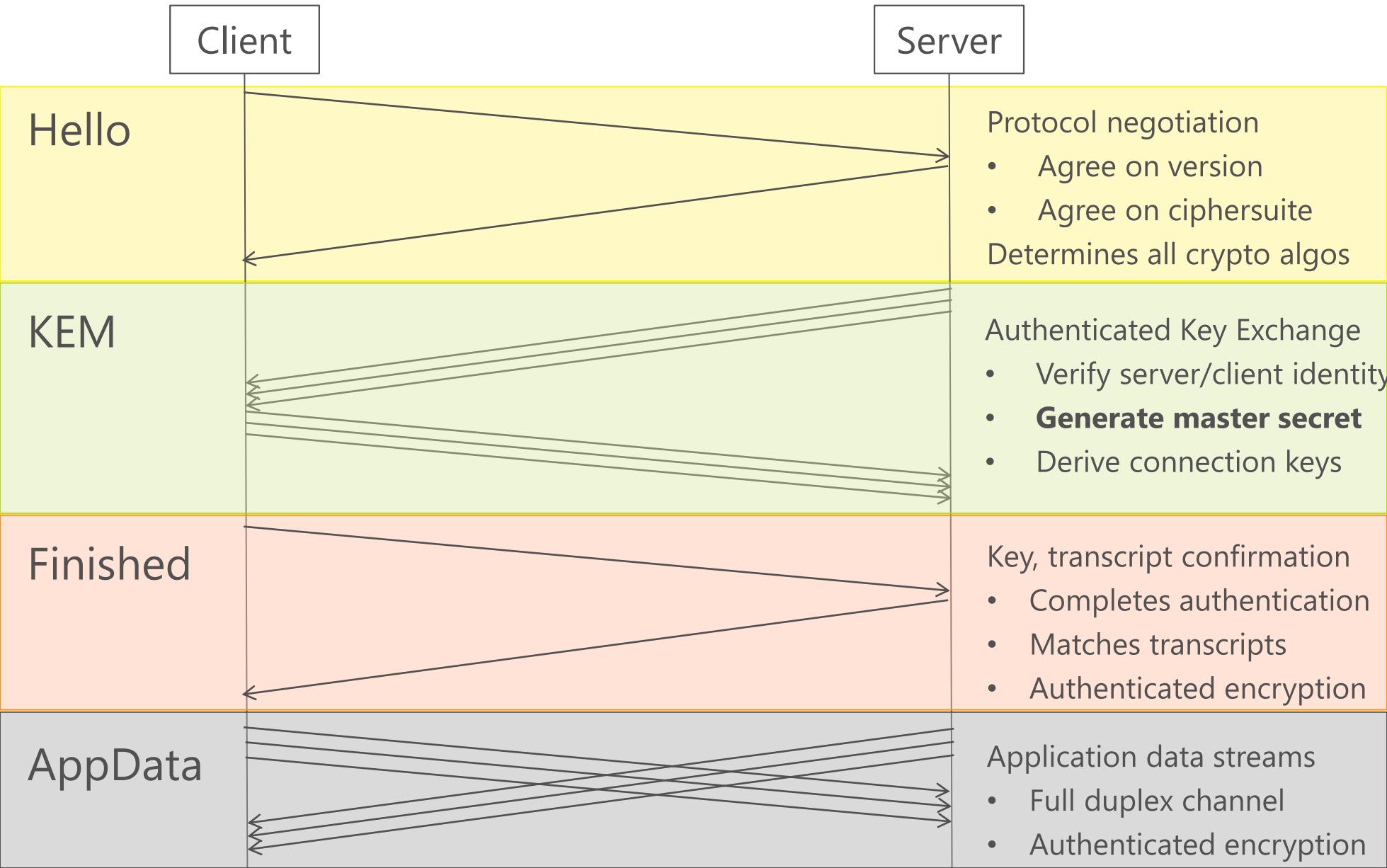


## Ongoing work

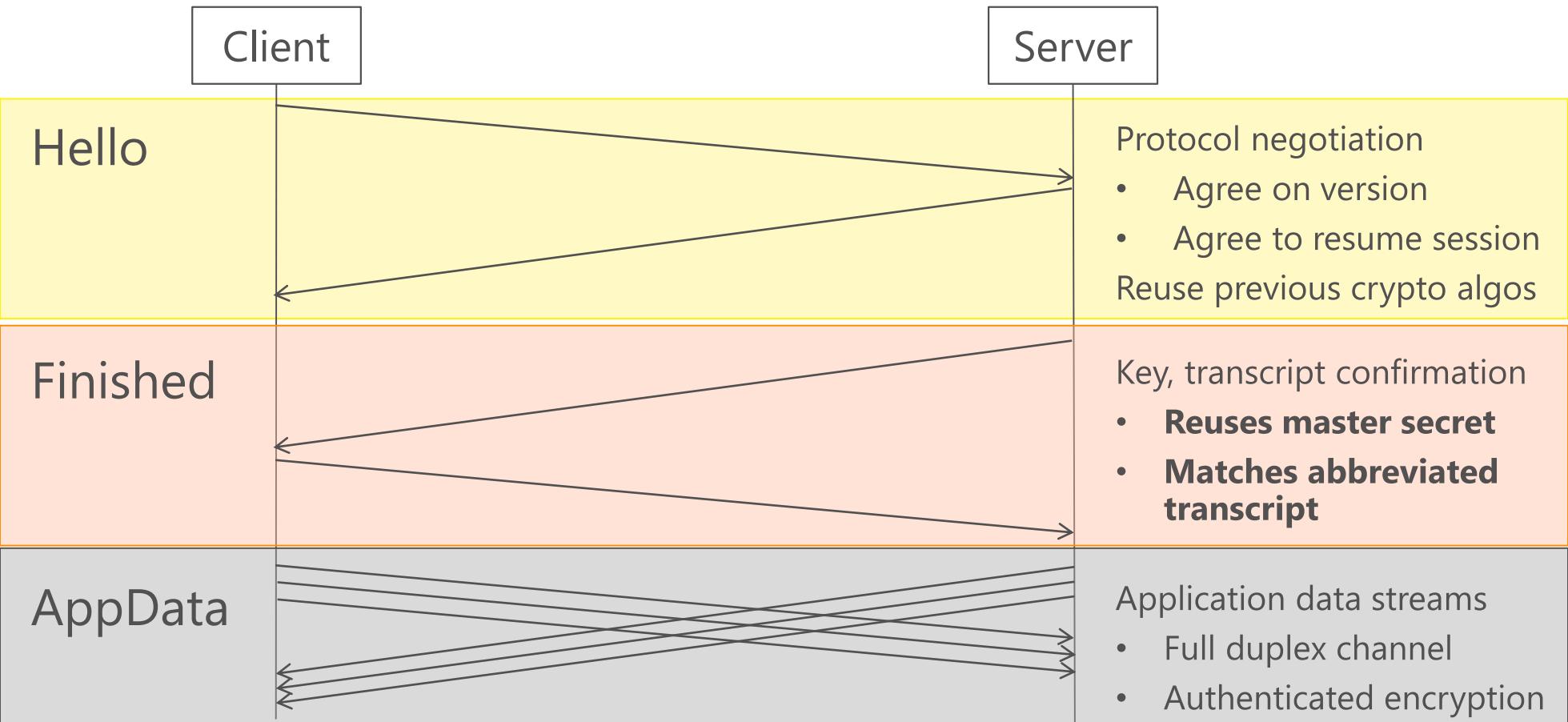
ECDHE, GCM, Certificates, Side-channels

# Mission accomplished?

# Reusing established sessions

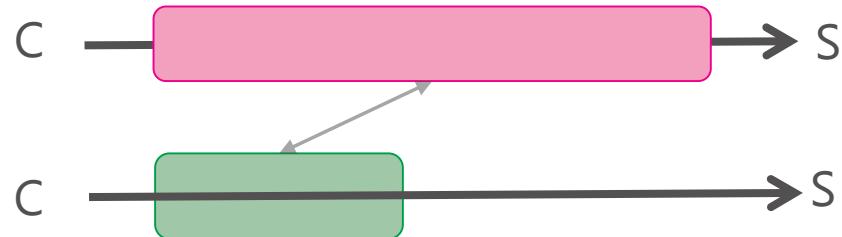


# Abbreviated handshake



**Efficiency:** One round-trip before client sends data  
**Security?**

# Security of session resumption



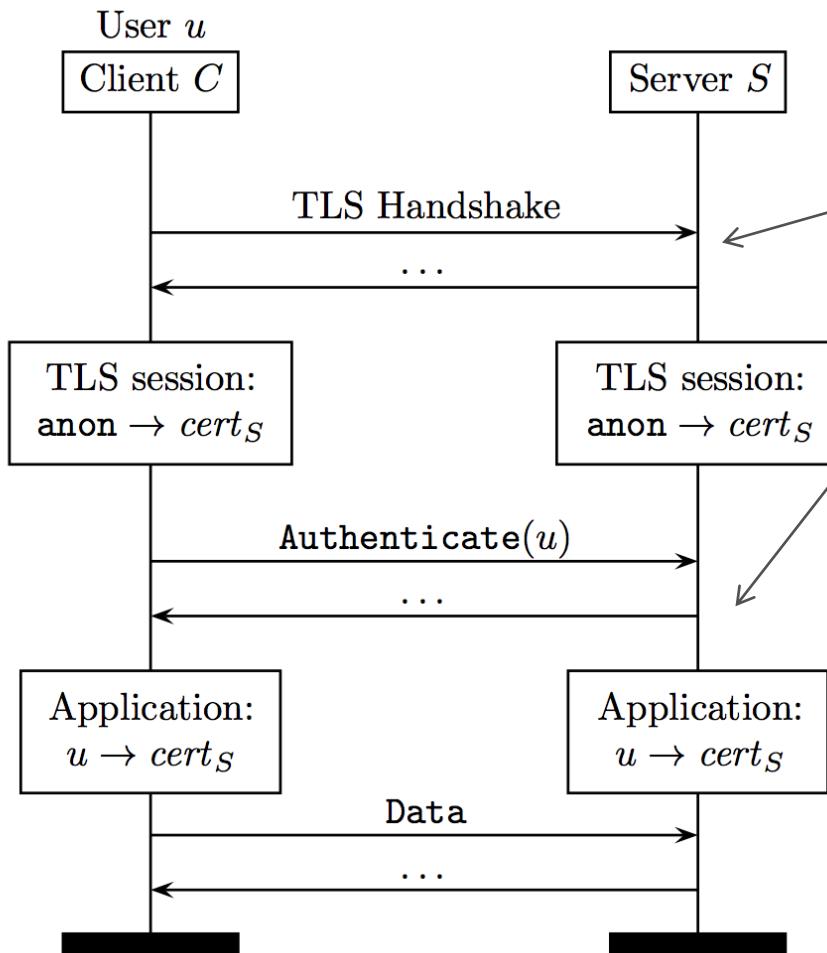
If a client **completes** an abbreviated handshake and the server in the original handshake was honest, and the master secret has not been leaked, then

**Agreement:** there must be a unique server that agrees on the variables in both the abbreviated handshake and the original handshake

**Authenticity and Confidentiality:** (as usual)

(vice versa for server if client was authenticated)

# User authentication over TLS

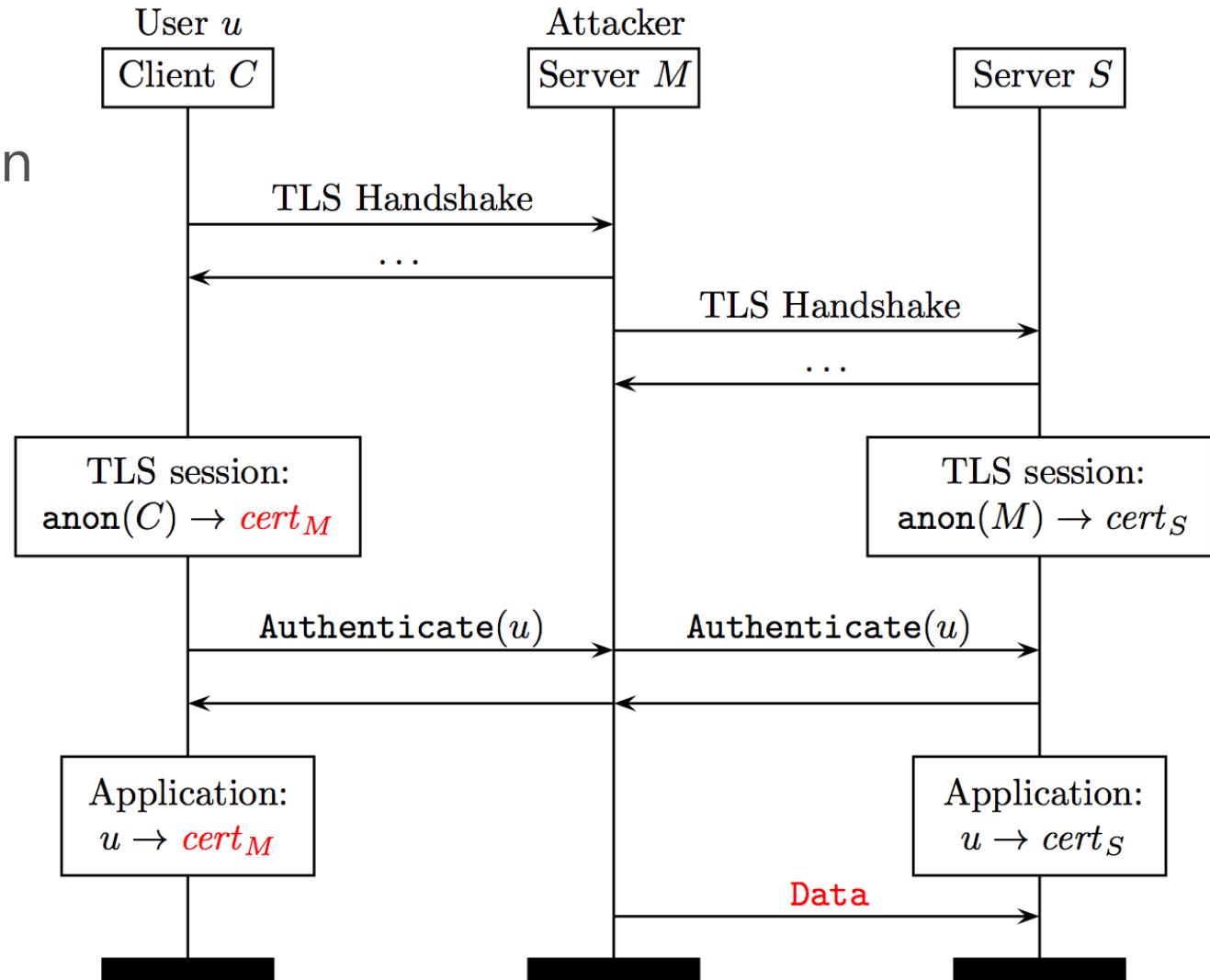


- Common Pattern
  - *Outer*: server-authenticated TLS
  - *Inner*: user authentication protocol
- Many examples
  - SASL, GSSAPI, EAP, ...
  - TLS Renegotiation with client certificate
- Inner authentication *blesses* outer unauthenticated channel  
*Need to strongly bind the two protocol layers together!*

# Generic credential forwarding attack

Simplified version of [Asokan, Niemi, Nyberg'02]

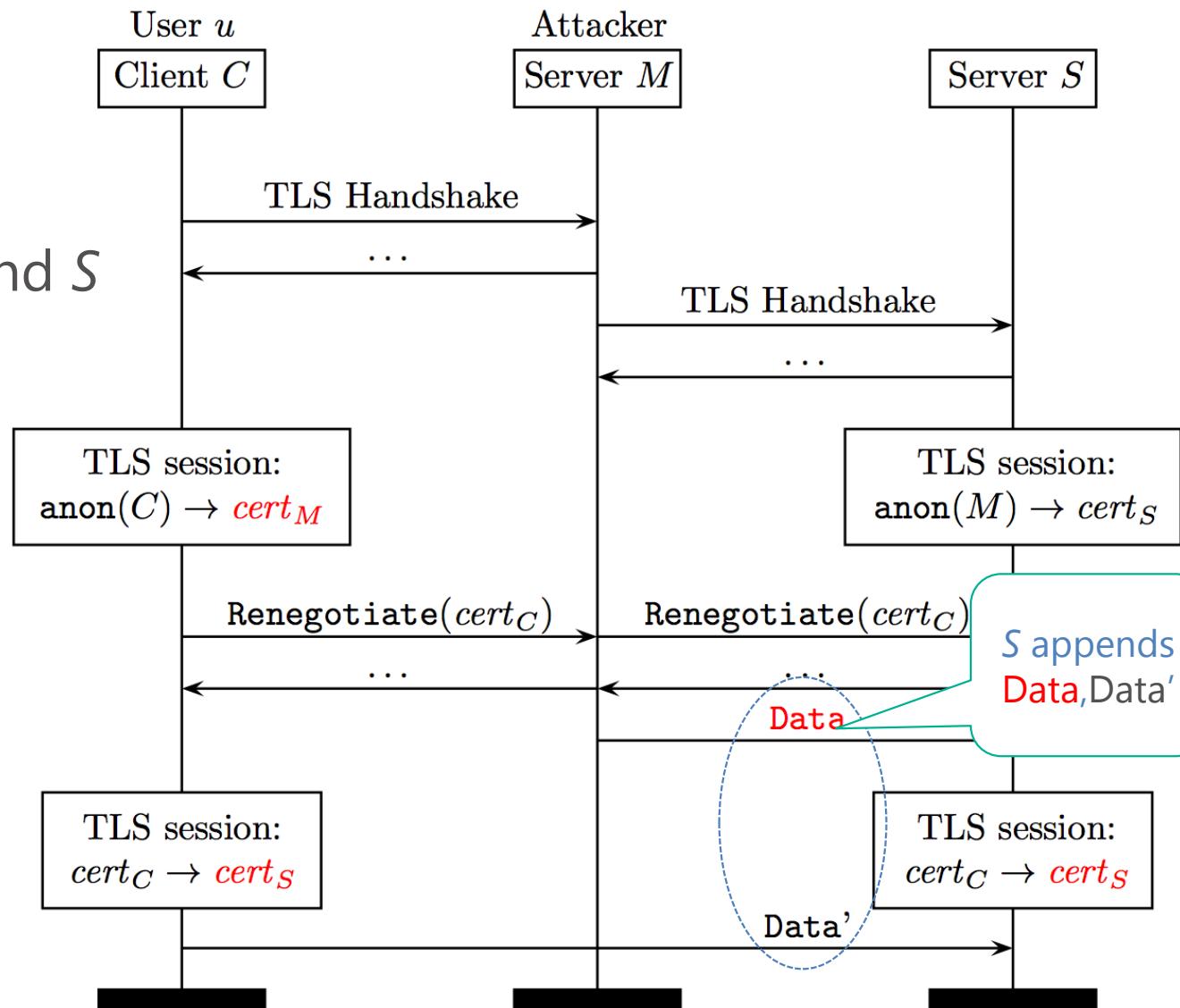
- Suppose  $u$  uses same authentication credential at both  $M$  and  $S$
- $M$  forwards  $S$ 's authentication challenge to  $C$
- $M$  forwards  $C$ 's response to  $S$
- $M$  can log in as  $u$  at  $S$ !



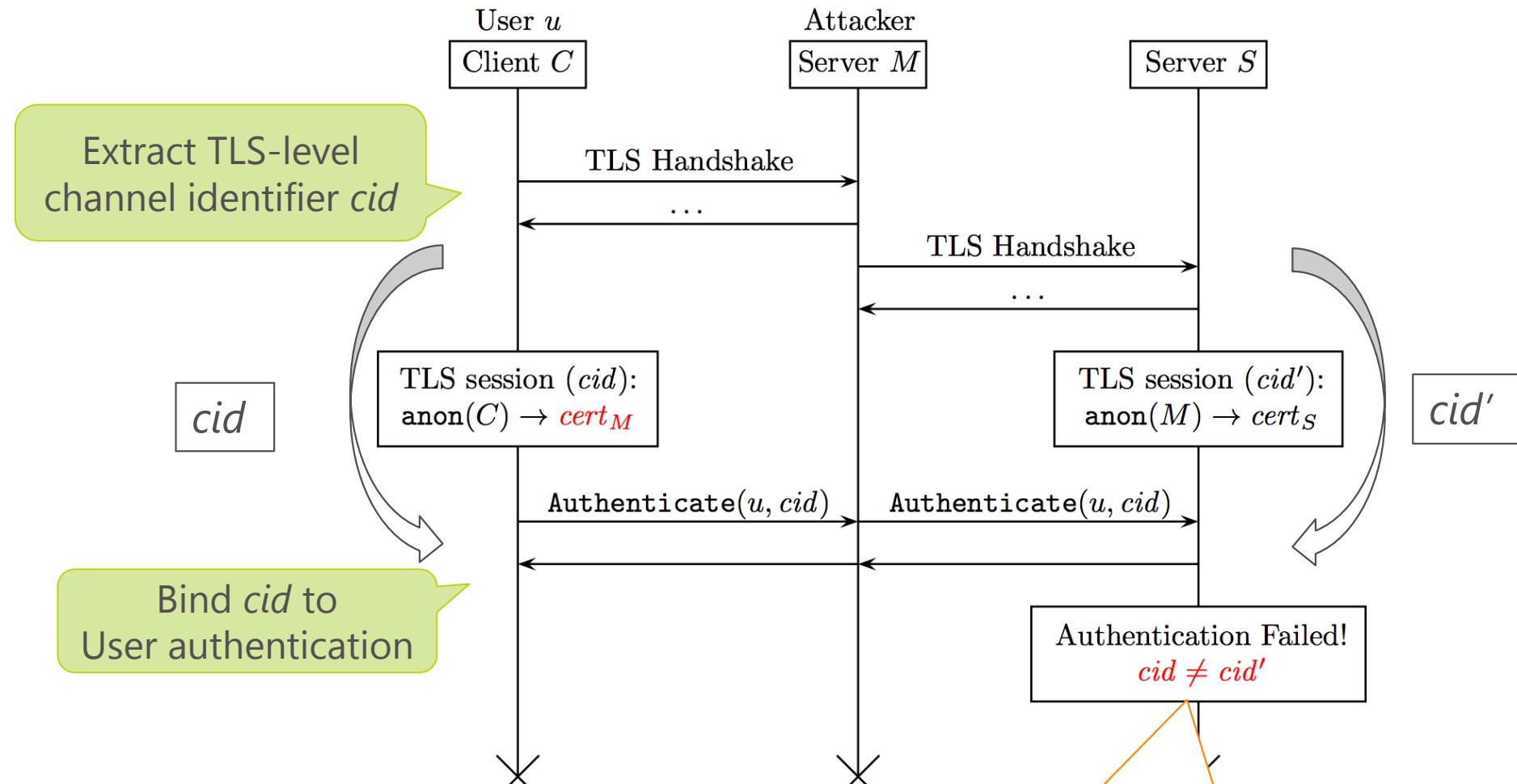
# TLS renegotiation attack [2009]

Martin Rex's Version

- Suppose  $u$  uses same client cert to log in to both  $M$  and  $S$
- $M$  forwards  $S$ 's renegotiation request to  $C$
- $M$  forwards renego handshake between  $C$  and  $S$
- *$S$  concatenates data sent by  $M$  to data sent by  $u$ !*



# Binding user auth to TLS channels



Computing a channel identifier ( $cid$ ):

- $f(\text{master secret})$  (EAP)
- $f(\text{handshake log})$  (Renegotiation Indication, SASL)

**Does not work if  $M$  can ensure that  $cid = cid'$**

# Security of (fixed) renegotiation

[Giesen et al '13]



If an endpoint **completes** renegotiation with an honest peer and (all) strong algorithms, then

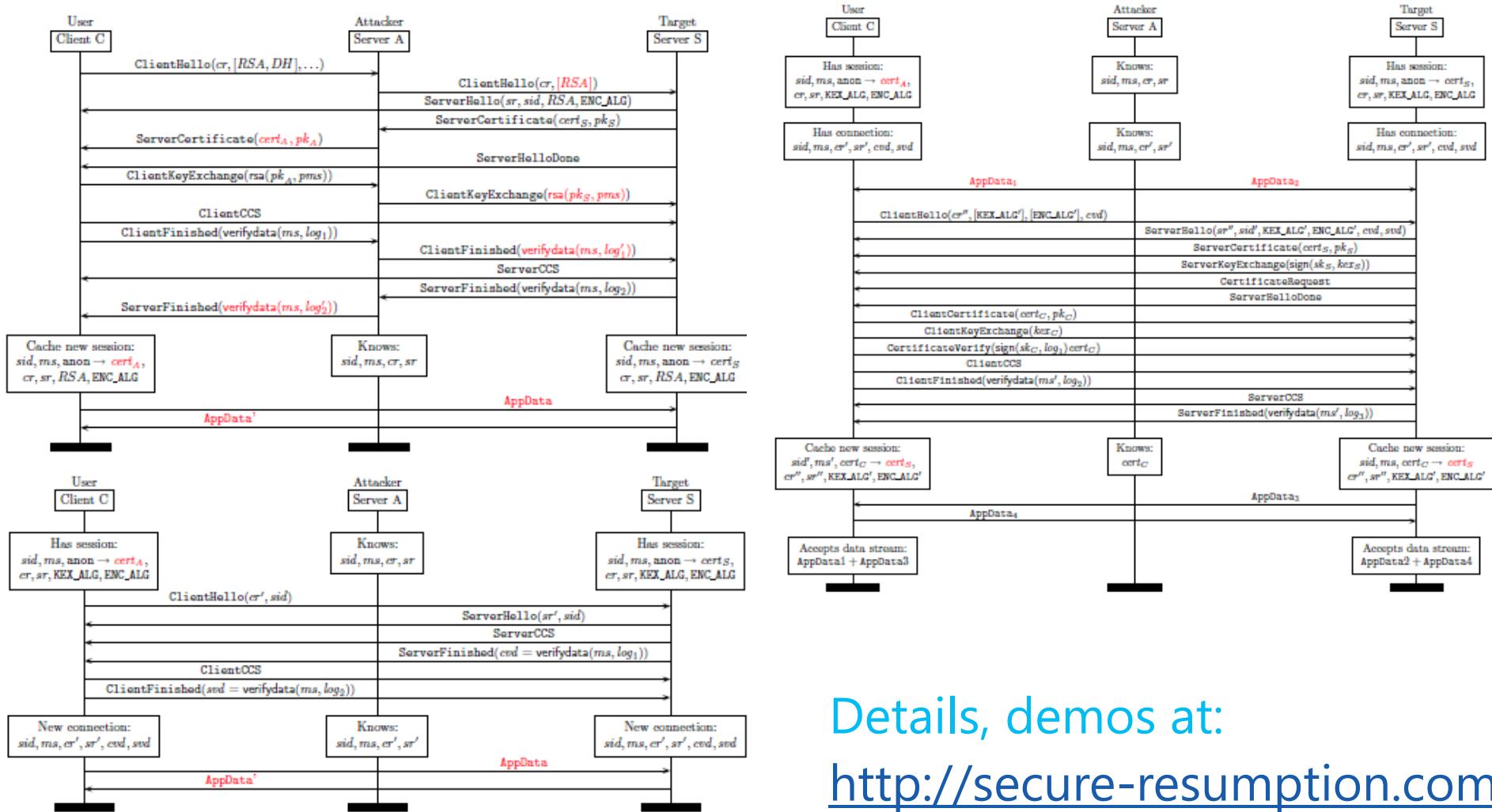
**Agreement:** there must be a peer endpoint that agrees on **all variables in the new and the old handshake**  
*(even if the peer in the old handshake was compromised or unauthenticated)*

More generally, in a sequence of handshakes, the last handshake guarantees agreement on all previous ones

# Triple Handshakes and Cookie Cutters: Breaking and Fixing Authentication over TLS

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Details, demos at:  
<http://secure-resumption.com>

# Triple Handshake attack: step 1

## Key Synchronization Attack

A malicious server  $M$  can ensure that the master secrets in two different connections from  $C-M$  and  $M-S$  are the same

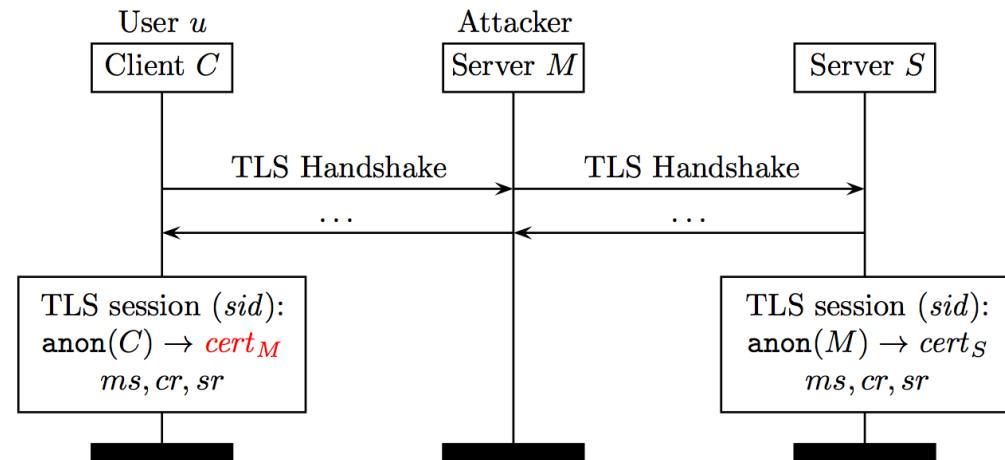
### RSA Key Synchronization

$M$  re-encrypts  $C$ 's premaster secret under  $S$ 's public key

$M$  forces same ciphersuite and nonces on the two handshakes

### DHE Key Synchronization

$M$  chooses a "bad" (non-prime) Diffie-Hellman group



### Does not break Markulf's theorem

"If a client completes with an **honest server**..."

### Breaks EAP compound authentication (reenables 2002 attack)

The master secret is not a good channel identifier (it isn't *contributive*)

Renegotiation indication channel identifier (handshake log) still works.

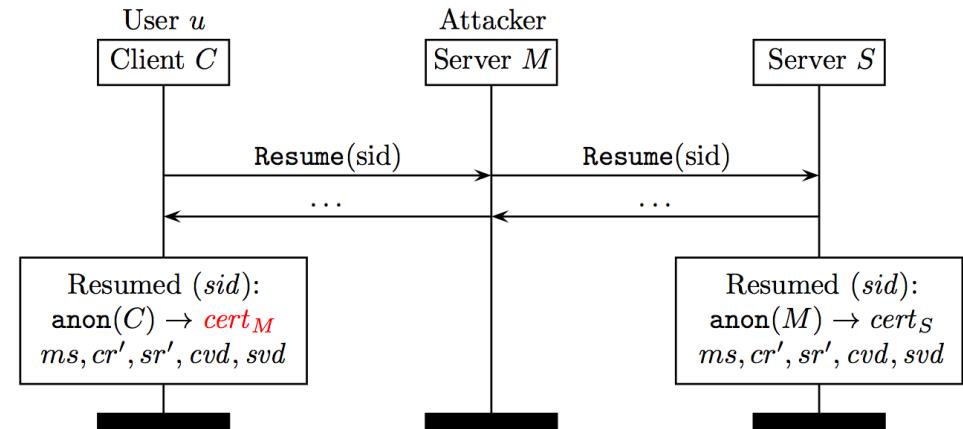
# Triple Handshake attack: step 2

## Transcript Synchronization Attack

After resumption, a malicious server  $M$  can ensure that the master secrets, keys, and handshake logs on two different connections from  $C-M$  and  $M-S$  are the same

### Abbreviated agreement

Transcript depends  
only on master secret,  
ciphersuite, session ID  
(no certificates)



### Does not break Markulf's theorem

"If the server in the original handshake was **honest**..."

### Breaks transcript-based channel identifiers

After resumption, handshake log is not a good channel identifier

Breaks tls-unique (SASL), renegotiation indication

# Triple Handshake attack: step 3

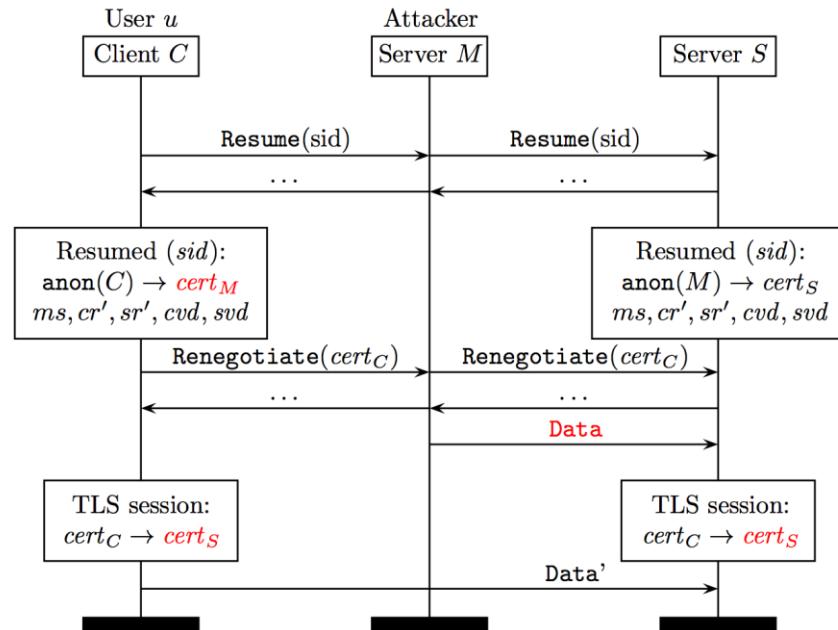
## User Impersonation Attack (reenables 2009 attack)

$cid = \text{hash}(\text{abbreviated handshake log})$  same on both connections  
So  $M$  can forward renegotiation between  $C$  and  $S$  unchanged.

Surely this must break Markulf's multi-handshake theorem?

Renegotiation with honest peer implies agreement on abbreviated handshake, *but not on original handshake*

Theorem needs honest peer in original handshake for agreement on all three



## Impact

A malicious website can impersonate any user who uses client certificates on any other website that requires client certificate auth, and supports resumption and renegotiation

# Fix the implementations

Disallow server certificate change during renegotiation

Preferred fix for web browsers (same origin policy)

Use only well-known DH groups and validate DH keys

Preferred fix for TLS libraries (good idea anyway)

Disallow client authentication after resumption

Difficult to enforce. How else can we fix SASL, EAP?

Root problem: master secret is not context bound

Master secret does not depend on server certificate

If we make the master secret a good session identifier,  
EAP, SASL, and renegotiation indication will all be fixed!

# Fix the standard: session hash

- Compute a session hash for every full handshake  
 $\text{session\_hash} = \text{Hash}(\text{handshake log})$   
(All messages up to and including ClientKeyExchange)
- Add session hash to master secret derivation:  
 $\text{master\_secret} = \text{PRF}(\text{pre\_master\_secret},$   
    "extended master secret",  
     $\text{session\_hash})[0..47];$
- Extension draft: draft-ietf-tls-session-hash-02.txt
  - Implemented in miTLS, OpenSSL, NSS, PolarSSL, ...
  - Construction built in to TLS 1.3
- Verification ongoing:
  - changes ms-KEM structure, new stronger security spec

# Let's be friends?

- TLS and its applications pose interesting (!) challenges for academic cryptographers
- To scale cryptographic proofs up to full implementations, we use many formal tools
  - F7, F\*, EasyCrypt, Coq, ProVerif, Frama-C
  - We can verify (small) fragments of OpenSSL too
- Still many open verification problems
  - session hash, PKI (ASN.1 parsing), side channels
  - (TLS 1.3, here we come!)

# Questions?

- More details, demos, research papers:

<http://secure-resumption.com>

<http://mitls.org>

